

My observations about reading this week: This is one of those weeks where there is lots of repetition - which you don't need - among the books. All three do what is essentially the same derivation of low temperature properties of fermions. They all derive the phase transition to a Bose Einstein Condensate (BEC). Yikes!

For primary reading, G&T is very good though rather dull and mathy. Schroeder is also very good, has adequate math, and does his usual great job of explaining things in engaging ways.

I do advise rereading B&B section 30.1, C.4 and C.5 which were technically assigned last week

Bottom line: No harm in reading B&B 30.1 plus the rest of the assigned reading either from G&T or Schroeder. Then try the homework. Visit another book only if you have trouble with a problem that comes from that book.

1. About B&B:

- **I advise rereading section 30.1 which sets the stage for the math we are doing this week.** This plus sections **C.4 and C.5** provide a slick and concise way of talking about the integrals we need to understand to study bosons and fermions.
- It is almost too brief in its treatment of fermions. Also, Example 30.4 where the low temperature expansion is described might be the most intimidating among the three books.
- It is also brief in its treatment of bosons, but it does a lovely job of pulling off the argument about the BEC (Bose Einstein Condensation) phase transition, by appealing to the math of polylogarithms.

2. About G&T:

- It gives a **solid treatment of fermions at zero, low temperatures, and via a problem assigned, high temperatures.** It derives the behavior of all thermodynamic quantities we'd care about with temperature, including pressure (which B&B neglects) and bulk modulus, which
- It is **also solid on bosons**, including Bose Einstein Condensation (BEC). It derives the phenomenon; but sadly, it's not very exciting. It almost feels hand-wavy, in contrast to the solid math of B&B section 30.4.

3. About Schroeder:

- It gives us a welcome reminder of what it means to be a truly quantum gas, where the quantum volume is large compared with V/N .
- It gives us an unnecessary reminder about state counting to find $g(\epsilon)$, the density of states.
- It gives us names to remember important quantities. E.g. A quantum system is considered "degenerate" and P for a zero temperature fermi gas is the "degeneracy pressure".
- It gives us good pictures like Fig 7.14 showing the product of $g(\epsilon)$ and $\bar{n}_{FD}(\epsilon)$, to make the argument (that G&T only make in words) about why $\mu(T)$ decreases with T .
- It is probably the **best discussion of BEC**. I really like the "Real world examples" and the "Why does it happen" parts of section 7.6.